

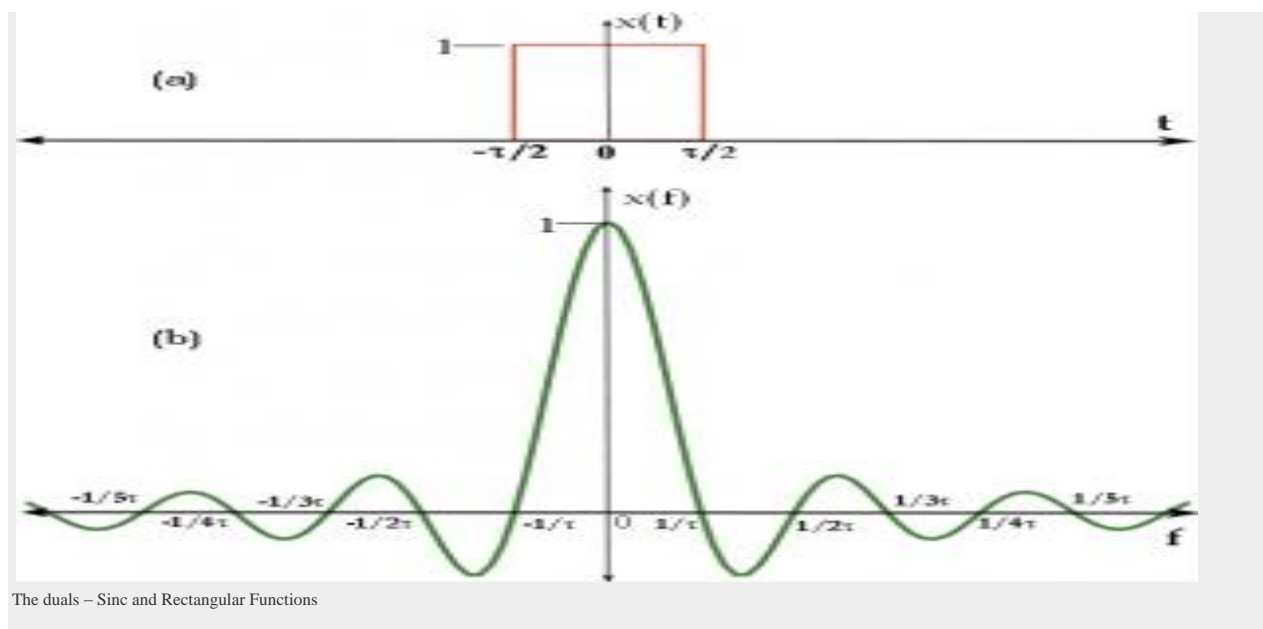
# ROLE OF PULSE SHAPING IN COMMUNICATION SYSTEMS

In communication systems, data is transmitted as binary bits (ones and zeros). It is easier to implement a binary system using switches, where turning on a switch represents '1' and turning it off represents '0'. Such simple binary systems essentially represent ones and zeros as rectangular pulses of finite duration (say  $\tau$ ). In frequency domain a rectangular pulse of finite duration  $\tau$  manifests itself as a sinc pulse of infinite duration. Also, most of the energy of the rectangular pulse is concentrated within  $-1/\tau$  to  $1/\tau$  in the frequency domain. This implies a pulse of duration  $\tau$  requires twice its bandwidth for reliable transmission. This poses a limitation when it comes to a bandwidth limited system, if we wish to increase the transmission data rate. The challenge here is, how do we transmit the data with the highest possible data rate in a given band-limited system. The answer is : Pulse Shaping.

In a band-limited system, when we try to increase the data rate, it may lead to Inter Symbol Interference (ISI). There are two criteria for a non-interference system where pulse shaping is employed. (1) The pulse shape exhibits a zero crossing at

the sampling point of all pulse intervals except its own ; (2) the shape of the pulses be such that the amplitude decays rapidly outside of the pulse interval.

A rectangular pulse satisfies the first criterion (where it contains zero crossing – see figure below) but not the second criterion ( the energy of the rectangular pulse does not decay rapidly outside the pulse interval and in fact it extends to infinite bandwidth). A raised cosine pulse is designed to satisfy these two criterion and thus provides an ISI free system. See also : discussion on Square Root Raised Cosine Filter , the concept of matched filter and introduction to controlled ISI.



Source: <http://www.gaussianwaves.com/2010/12/raised-cosine-filter-2/>