

Pulse Compression

Pulse compression is a generic term that is used to describe a waveshaping process that is produced as a propagating waveform is modified by the electrical network properties of the transmission line. The pulse is frequency modulated, which provides a method to further resolve targets which may have overlapping returns. Pulse compression originated with the desire to amplify the transmitted impulse (peak) power by temporal compression. It is a method which combines the high energy of a long pulse width with the high resolution of a short pulse width. The pulse structure is shown in the figure 1.

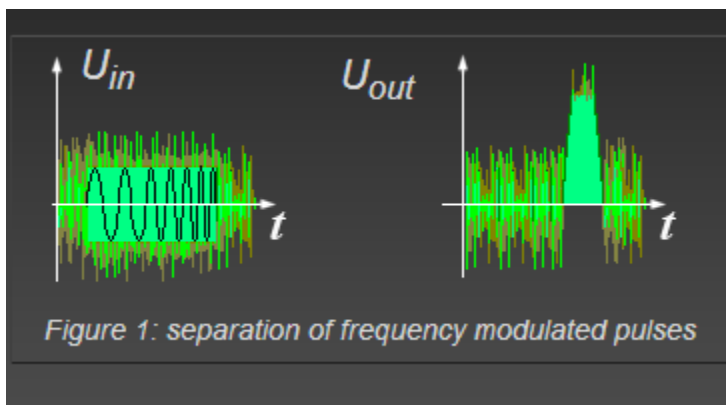


Figure 1: separation of frequency modulated pulses

Since each part of the pulse has unique frequency, the returns can be completely separated.

This modulation or coding can be either

FM (frequency modulation)

- linear (chirp radar) or
- non-linear,
- time-frequency-coded waveform (e.g. Costas code) or

PM (phase modulation).

Now the receiver is able to separate targets with overlapping of noise. The received echo is processed in the receiver by the compression filter. The compression filter readjusts the relative phases of the frequency components so that a narrow or compressed pulse is again produced. The radar therefore

obtains a better maximum range than it is expected because of the conventional radar equation.



Figure 2: short pulse (blue) and a long pulse with intra pulse modulation (green)

The ability of the receiver to improve the range resolution over that of the conventional system is called the pulse compression ratio (PCR). For example a pulse compression ratio of 50:1 means that the system range resolution is reduced by 1/50 of the conventional system. The pulse compression ratio can be expressed as the ratio of the range resolution of an unmodulated pulse of length τ to that of the modulated pulse of the same length and bandwidth B .

$$\begin{aligned} \text{PCR} &= (c_0 \cdot \tau / 2) / (c_0 / 2B) \\ &= B \cdot \tau \end{aligned} \tag{1}$$

This term is described as Time-Bandwidth-product of the modulated pulse and is equal to the Pulse Compression Gain, PCG, as the gain in SNR relative to an unmodulated pulse. Alternatively, the factor of improvement is given the symbol PCR, which can be used as a number in the range resolution equation, which now achieves:

$$R_{\text{res}} = c_0 \cdot (\tau / 2) = \text{PCR} \cdot c_0 / 2 B \tag{2}$$

The compression ratio is equal to the number of sub pulses in the waveform, i.e., the number of elements in the code. The range resolution is therefore proportional to the time duration of one element of the code. The radar maximum range is increased by the fourth root of PCR.

The minimum range is not improved by the process. The full pulse width still applies to the transmission, which requires the duplexer to remain aligned to the transmitter throughout the pulse. Therefore R_{min} is unaffected.

Advantages

lower pulse-power

therefore suitable for Solid-State-amplifier

higher maximum range

good range resolution

better jamming immunity

difficult reconnaissance

Disadvantages

high wiring effort

bad minimum range

time-sidelobes

Table 1: Advantages and disadvantages of the pulse compression

Pulse compression with linear FM waveform

At this pulse compression method the transmitting pulse has a linear FM waveform. This has the advantage that the wiring still can relatively be kept simple. However, the linear frequency modulation has the disadvantage that jamming signals can be produced relatively easily by so-called "Sweeper".

The block diagram on the picture illustrates, in more detail, the principles of a pulse compression filter.

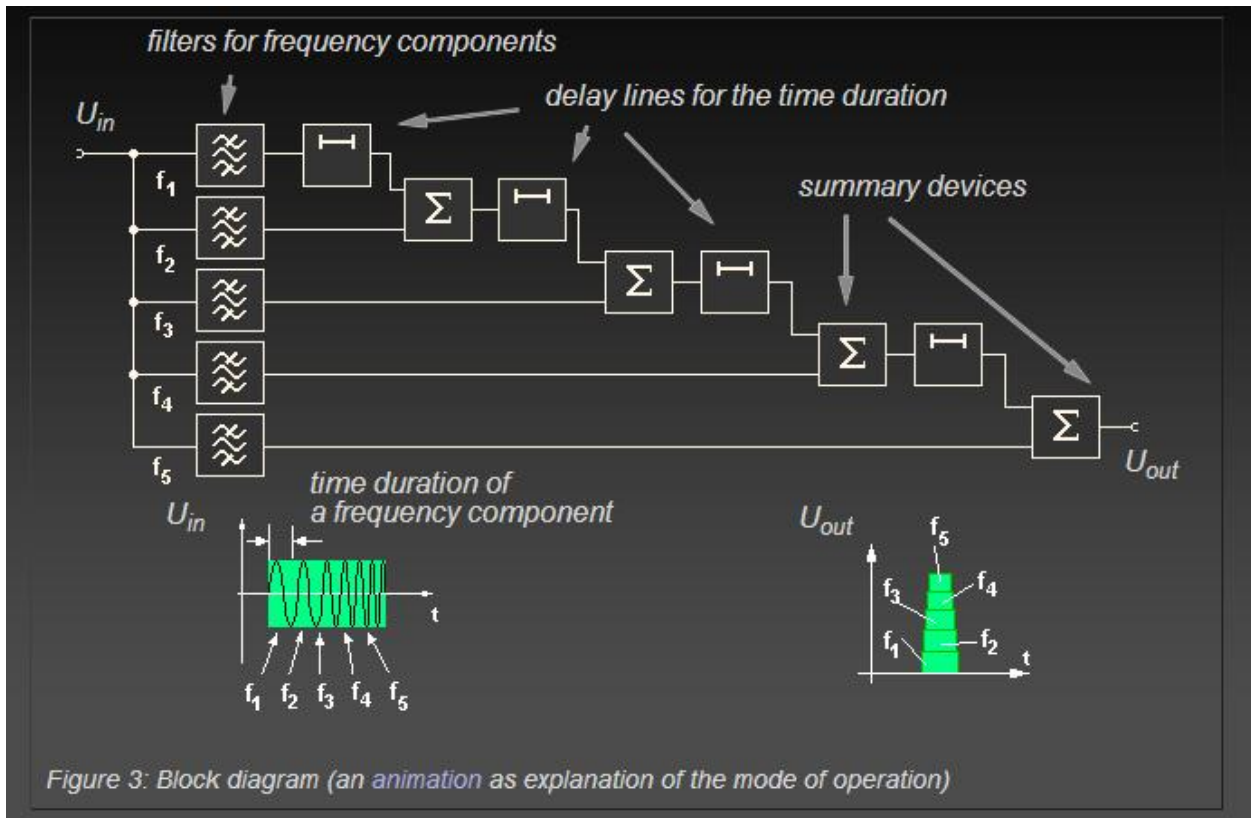


Figure 3: Block diagram (an animation as explanation of the mode of operation)

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The compression filter are simply dispersive delay lines with a delay, which is a linear function of the frequency. The compression filter allows the end of the pulse to „catch up“ to the beginning, and produces a narrower output pulse with a higher amplitude.

As an example of an application of the pulse compression with linear FM waveform the RRP-117 can be mentioned.

Filters for linear FM pulse compression radars are now based on two main types.

- Digital processing (following of the A/D- conversion).
- Surface acoustic wave devices.

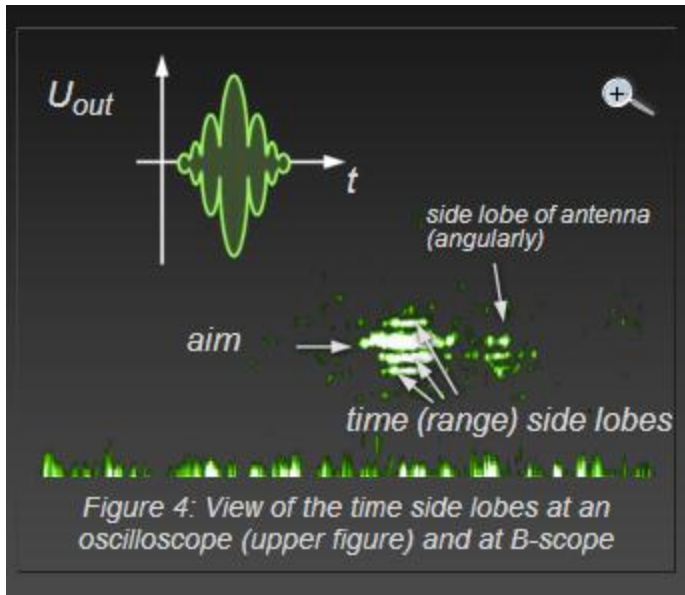


Figure 4: View of the time side lobes at an oscilloscope (upper figure) and at B-scope

Figure 4: View of the Time-Side-Lobes at an oscilloscope and at B-scope: time sidelobes are range lobes; contrary to antenna side lobes (azimuthally)

Time-Side-Lobes

The output of the compression filter consists of the compressed pulse accompanied by responses at other times (i.e., at other ranges), called time or range sidelobes. The figure shows a view of the compressed pulse of a chirp radar at an oscilloscope and at a ppi-scope sector.

Amplitude weighting of the output signals may be used to reduce the time sidelobes to an acceptable level. Weighting on reception only results a filter „mismatch” and some loss of signal to noise ratio.

The sidelobe levels are an important parameter when specifying a pulse compression radar. The application of weighting functions can reduce time sidelobes to the order of 30 db's.

Pulse compression with non-linear FM waveform

The non-linear FM waveform has several distinct advantages. The non-linear FM waveform requires no amplitude weighting for time-sidelobe suppression since the FM modulation of the waveform is designed to provide the desired amplitude spectrum, i.e., low sidelobe levels of the compressed pulse can be achieved without using amplitude weighting.

Matched-filter reception and low sidelobes become compatible in this design. Thus the loss in signal-to-noise ratio associated with weighting by the usual mismatching techniques is eliminated.

A symmetrical waveform has a frequency that increases (or decreases) with time during the first half of the pulse and decreases (or increases) during the last half of the pulse. A non symmetrical waveform is obtained by using one half of a symmetrical waveform.

The disadvantages of the non-linear FM waveform are

- Greater system complexity
- The necessity for a separate FM modulation design for each type of pulse to achieve the required sidelobe level.

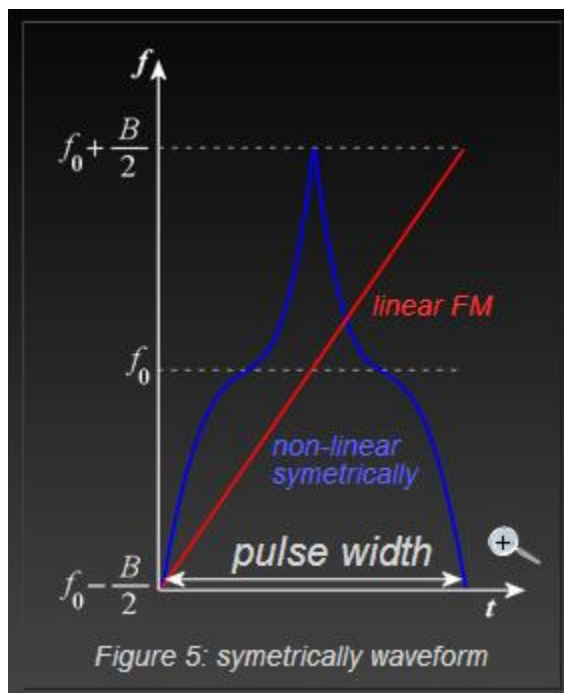


Figure 5: symetrically waveform

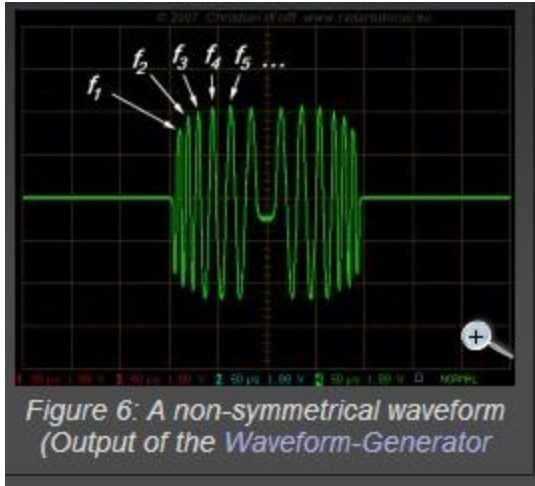


Figure 6: A non-symmetrical waveform (Output of the Waveform-Generator)

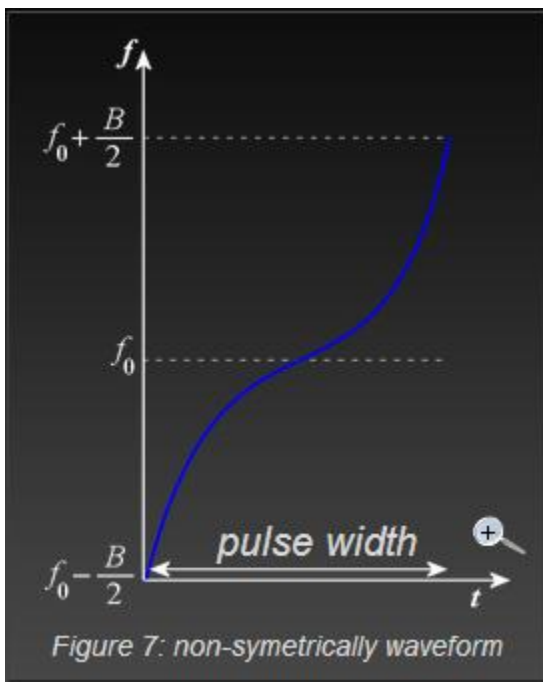


Figure 7: non-symmetrically waveform

Phase-Coded Pulse Compression

Phase-coded waveforms differ from FM waveforms in that the long pulse is sub-divided into a number of shorter sub pulses. Generally, each sub pulse corresponds with a range bin. The sub pulses are of equal time duration; each is transmitted with a particular phase. The phase of each sub-pulse is

selected in accordance with a phase code. The most widely used type of phase coding is binary coding.

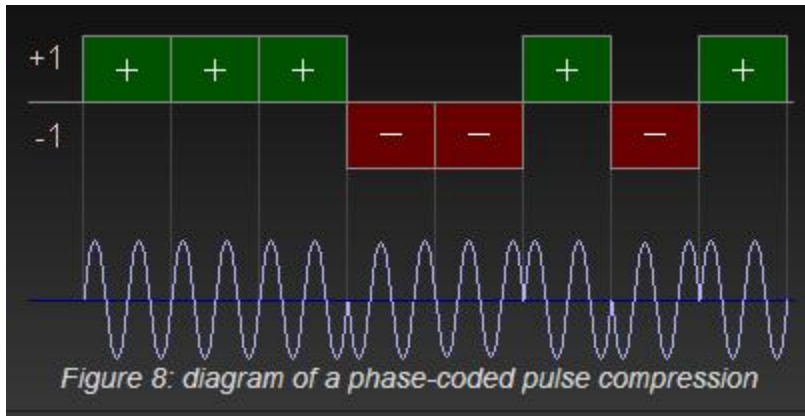


Figure 8: diagram of a phase-coded pulse compression

The binary code consists of a sequence of either +1 and -1. The phase of the transmitted signal alternates between 0 and 180° in accordance with the sequence of elements, in the phase code, as shown on the figure. Since the transmitted frequency is usually not a multiple of the reciprocal of the sub pulsewidth, the coded signal is generally discontinuous at the phase-reversal points.

| Length of code n | Code elements | Peak-sidelobe ratio, dB |
|--------------------|-------------------|-------------------------|
| 2 | + - | -6.0 |
| 3 | ++ - | -9.5 |
| 4 | ++ - + , +++ - | -12.0 |
| 5 | +++ - + | -14.0 |
| 7 | +++ - + - | -16.9 |
| 11 | +++ - ++ - + - | -20.8 |
| 13 | ++++ - ++ - + - + | -22.3 |

Table: Barker Codes

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The selection of the so called random 0, n phases is in fact critical. A special class of binary codes is the optimum, or Barker, codes. They are optimum in the sense that they provide low sidelobes, which are all of equal magnitude. Only a small number of these optimum codes exist. They are shown on the beside table. A computer based study searched for Barker codes up to 6000, and obtained only 13 as the maximum value.

It will be noted that there are none greater than 13 which implies a maximum compression ratio of 13, which is rather low. The sidelobe level is -22.3 db.

Source:

<http://www.radartutorial.eu/08.transmitters/Intrapulse%20Modulation.en.html>