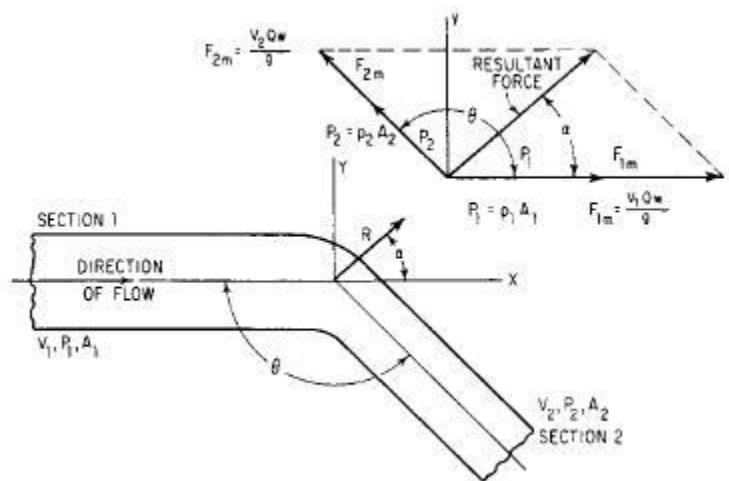


# Forces Due To Pipe Bends

The momentum change and the unbalanced internal pressure of the water leads to forces on the pipes

The force diagram in figure is a convenient method for finding the resultant force on a bend. The forces can be resolved into X and Y components to find the magnitude and direction of the resultant force on the pipe.



$V_1$ = velocity before change in size of pipe, ft /s (m/s)

$V_2$ = velocity after change in size of pipe, ft /s (m/s)

$p_1$ = pressure before bend or size change in pipe, lb/ft<sup>2</sup> (kPa)

$p_2$ = pressure after bend or size change in pipe, lb/ft<sup>2</sup> (kPa)

$A_1$ = area before size change in pipe, ft<sup>2</sup> (m<sup>2</sup>)

$A_2$ = area after size change in pipe, ft<sup>2</sup> (m<sup>2</sup>)

$F_{2m}$ = force due to momentum of water in section 2  $V_2Qw/g$

$F_{1m}$ = force due to momentum of water in section 1  $V_1Qw/g$

$P_2$ = pressure of water in section 2 times area of section 2  $p_2 A_2$

$P_1$ = pressure of water in section 1 times area of section 1  $p_1 A_1$

$w$ = unit weight of liquid, lb/ft<sup>3</sup> (kg/m<sup>3</sup>)

$Q$ = discharge, ft<sup>3</sup>/s (m<sup>3</sup>/s)

If the pressure loss in the bend is neglected and there is no change in magnitude of velocity around the bend, then

$$R=2A[(wV^2/g)+p]\cosine \text{ of angle between pipes}$$

where R resultant force on bend, lb (N)

p= pressure, lb/ft<sup>2</sup> (kPa)

w= unit weight of water, 62.4 lb/ft<sup>3</sup> (998.4 kg/m<sup>3</sup>)

V= velocity of flow, ft/s (m/s)

g= acceleration due to gravity, 32.2 ft/s<sup>2</sup> (9.81 m/s<sup>2</sup>)

A= area of pipe, ft<sup>2</sup> (m<sup>2</sup>)

**Source: <http://www.engineeringcivil.com/forces-due-to-pipe-bends.html>**